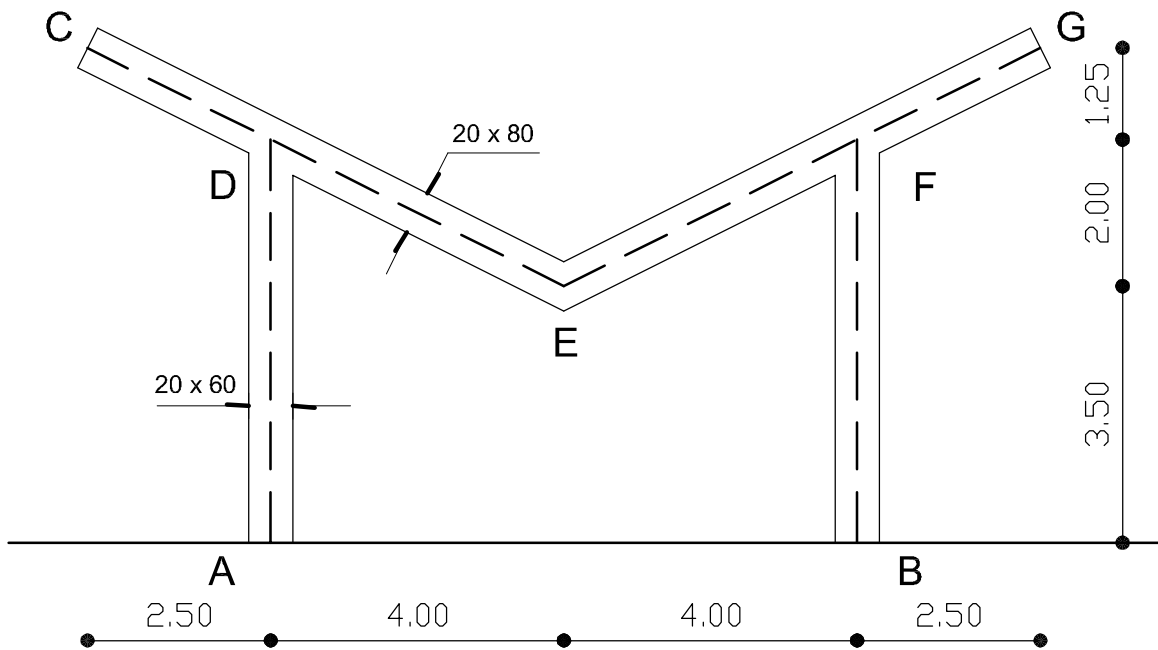


ESTABILIDAD DE LAS CONSTRUCCIONES II

Parte escrita del Examen
22 / 03 / 01

Estudiar el pórtico de hormigón armado cuya forma se indica. Sobre los tramos C-D-E-F-G una losa maciza, de 9cm de espesor, descarga 2400 daN/m de tramo.

Se piden diagramas de solicitaciones de las barras AD, CD y DE, y reacciones de apoyos.



1)

CARGAS: CE y EF

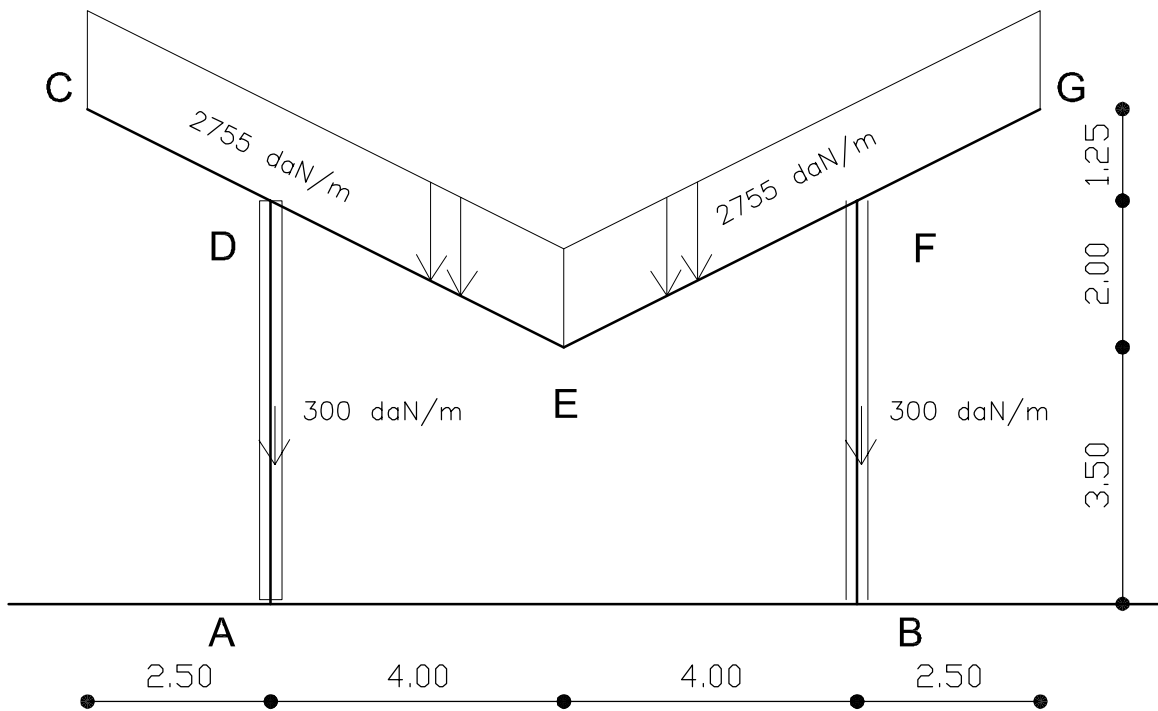
$$p.p. = 0,20 \times (0,80 - 0,09) \times 2500 = 355 \text{ daN/m}$$

$$\text{descarga de la losa} = 2400 \text{ daN/m}$$

$$2755 \text{ daN/m}$$

AD y BF

$$p.p. = 0,20 \times 0,60 \times 2500 = 300 \text{ daN/m}$$



Por tratarse de una estructura simétrica por nudo, se estudia media estructura, con el nudo central frenado. El momento final será el Momento Freno más el Momento transmitido.

DETERMINACIÓN DE LOS COEFICIENTES α Y β

TRAMO CD

$$l_H = 2.50 \text{ m}$$

$$l_i = 2.795 \text{ m}$$

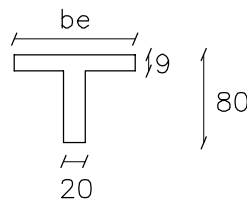
DETERMINACIÓN DE LOS COEFICIENTES α Y β (cont.)

TRAMO DE

$$l_H = 4.00 \text{ m}$$

$$l_i = 4.47 \text{ m}$$

Sección de inercia constante. Por los vínculos, $\alpha = 1$
 $\beta = 1$



$$be = 6 hf + bw = 6 \times 9 + 20 = 74 \text{ cm}$$

$$\left. \begin{aligned} \frac{bw}{be} &= \frac{20}{74} = 0,270 \\ \frac{hf}{h} &= \frac{9}{80} = 0,113 \end{aligned} \right\} \psi = 0,42$$

$$I = \frac{0,42 \times 74 \times 80^3}{12}$$

TRAMO AD

$$l = 5.50 \text{ m}$$

Sección de inercia constante. Por los vínculos, $\alpha = 1$
 $\beta = 1$

$$I = \frac{b \times H}{12^3} = \frac{20 \times 60}{12^3}$$

DETERMINACIÓN DE RIGIDECES DE TRAMOS Y DE COEFICIENTES DE REPARTICIÓN

$$\chi = \frac{I}{I_{\text{real}}} \quad I_{AD} = 1 \quad I_{\text{real AD}} = 5.50 \quad \chi = \frac{1}{5.50} = 0,18$$

$$I = \frac{I_{\text{propia}}}{I_{\text{unidad}}} \quad I_{DE} = \frac{\frac{0,42 \times 74 \times 80^3}{12}}{\frac{20 \times 60^3}{12}} = 3,68 \quad I_{\text{real DE}} = 4,47 \quad \chi = \frac{3,68}{4,47} = 0,82$$

NUDO D

$$r = \frac{\alpha \chi}{\sum \alpha \chi}$$

$$r_{DA} = \frac{0,18}{1,00} = 0,18$$

$$r_{DE} = (1 - 0,18) = 0,82$$

COEFICIENTES

BARRA	luz real	α	β	rel. ln.	χ	$\alpha\chi$
AD	5,50	1	0,5	1	0,18	0,18
DE	4,47	1	0,5	3,68	0,82	0,82

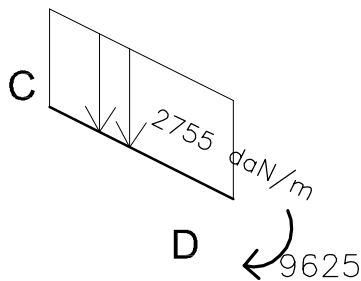
DETERMINACIÓN DE LOS MOMENTOS DE EMPOTRAMIENTO PERFECTO (M.E.P.)

Se determinan los M.E.P. donde corresponde: son los provocados por cargas perpendiculares al eje de tramo.

TRAMO AD

No corresponde.

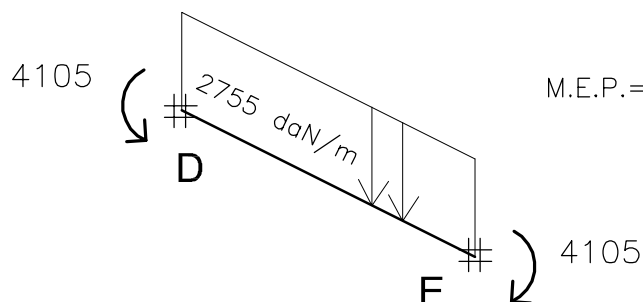
TRAMO CD



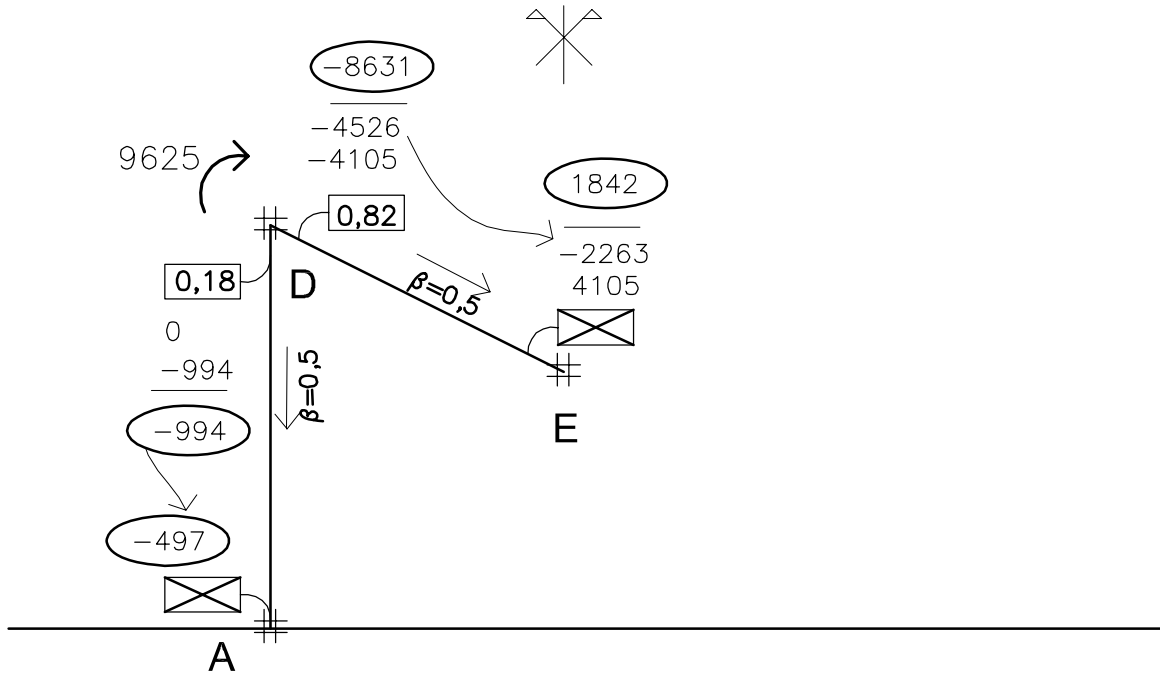
$$M = \frac{p \cdot l_r \cdot l_n}{2} = \frac{2755 \times 2,795 \times 2,5}{2} = 9625 \text{ daNm}$$

TRAMO DE

Inercia constante }
Carga uniforme } Tabla II-2

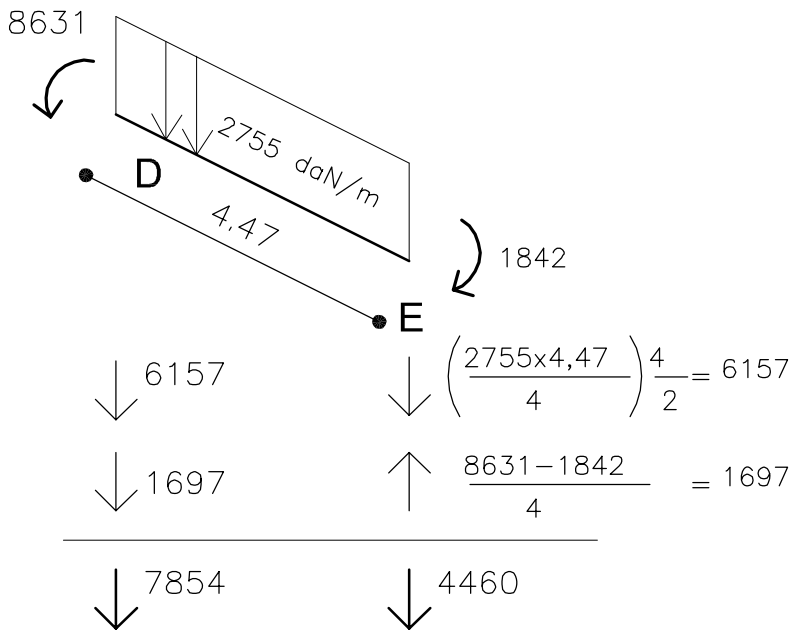


$$M.E.P. = \frac{p \cdot l_n \cdot l_i}{12} = \frac{2755 \times 4 \times 4,47}{12} = 4105 \text{ daNm}$$

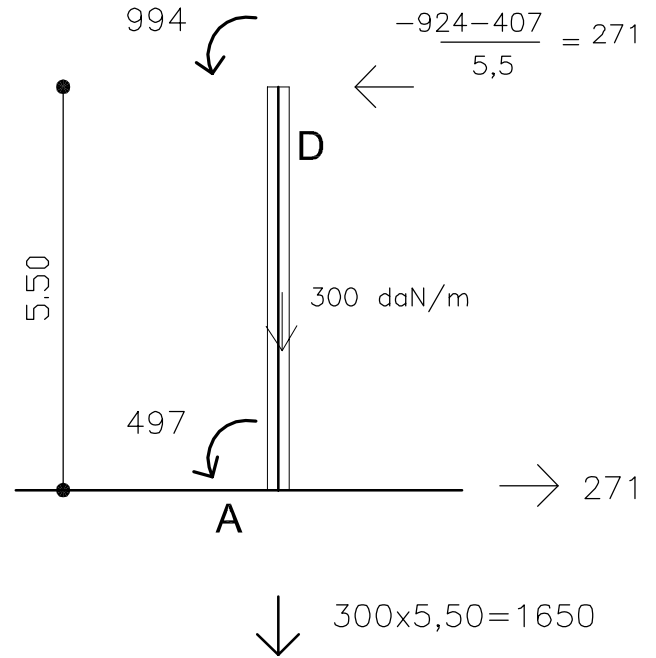


DESCARGAS DE TRAMO

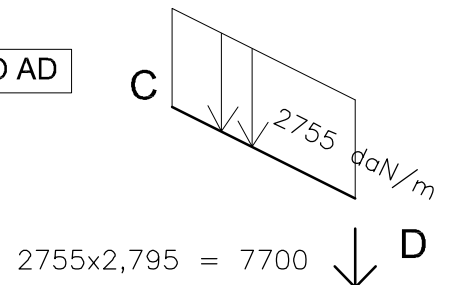
TRAMO DE



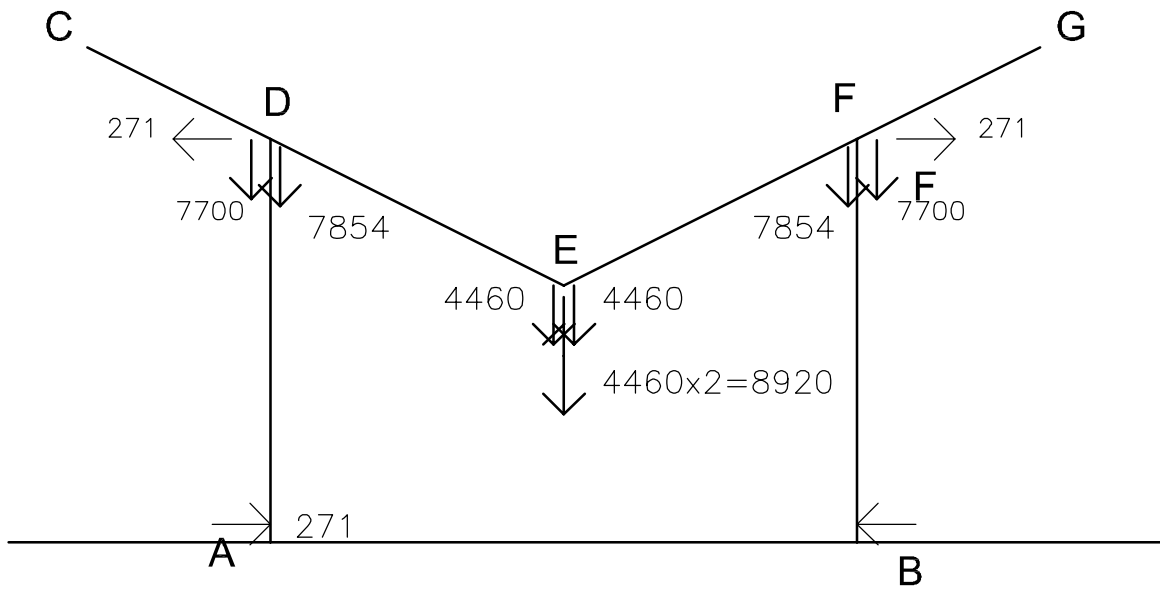
TRAMO AD



TRAMO AD



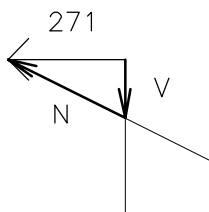
DESCARGAS EN NUDOS



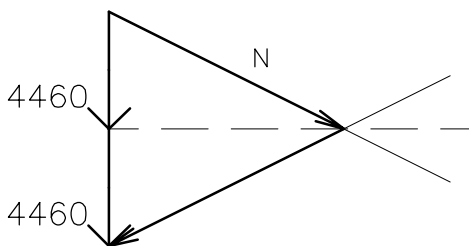
Vemos los caminos materiales que recorren las fuerzas.
 Construimos una dinámica de fuerzas.

La resolución puede ser gráfica, midiendo en la dinámica (a escala) el valor de la fuerza.

O analítica (en este caso por semejanza de triángulos):

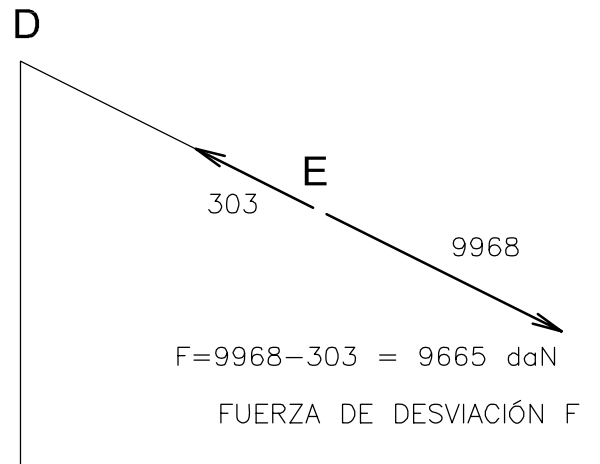
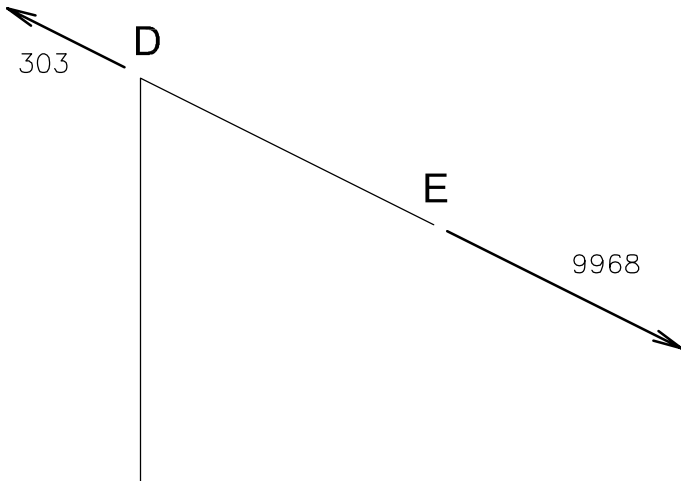


$$\frac{271}{4} = \frac{N}{4,47} \Rightarrow N=303 \text{ daN}$$



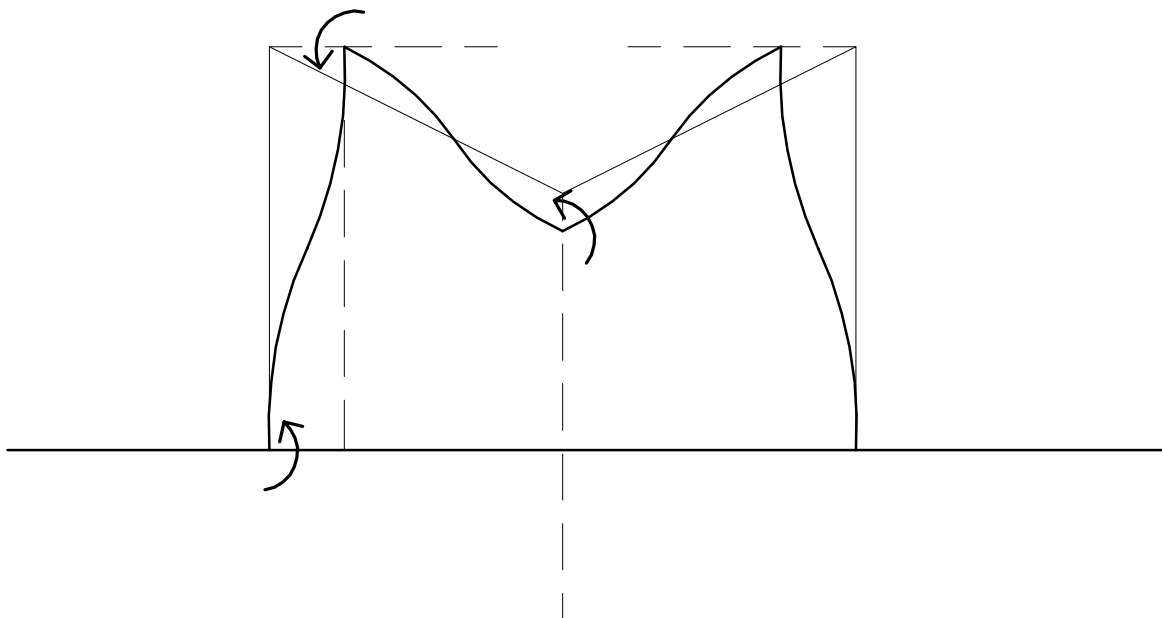
$$\frac{4460}{2} = \frac{N}{4,47} \Rightarrow N=9968 \text{ daN}$$

FUERZA DE DESVIACIÓN

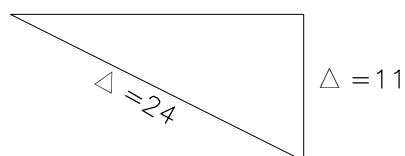


Esta fuerza no encuentra caminos materiales para su canalización, y se producirá una deformación por flexión de la estructura.

La deformada se construirá siguiendo las reglas de la deformación.



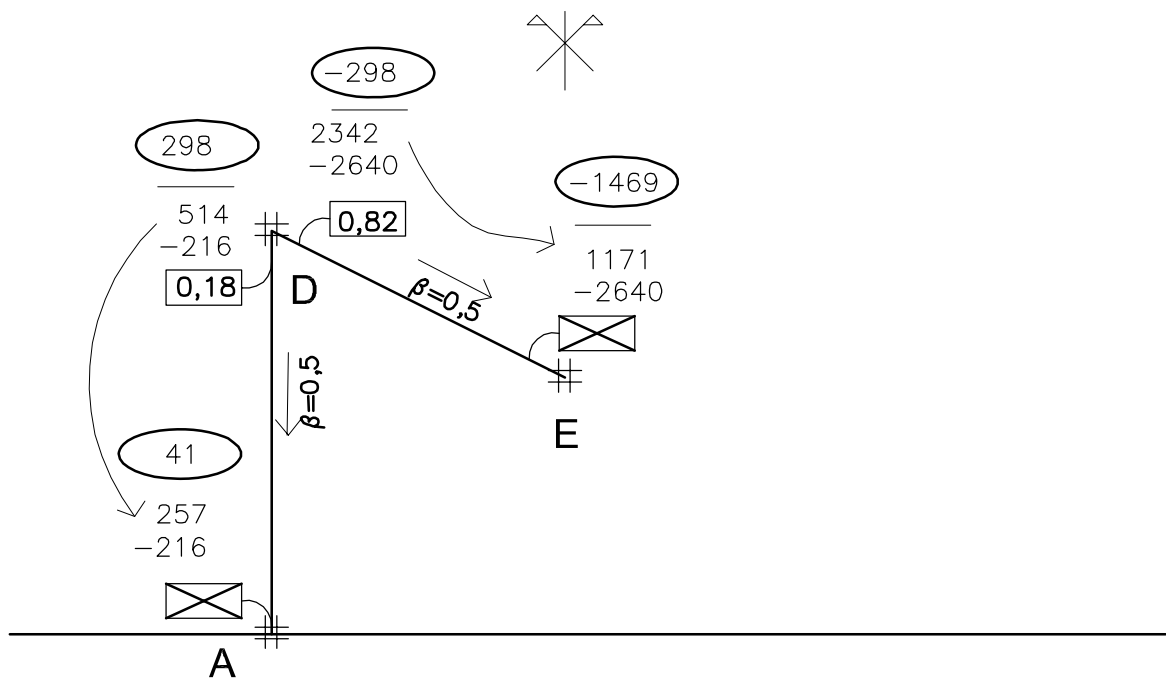
DETERMINACION DE Δ



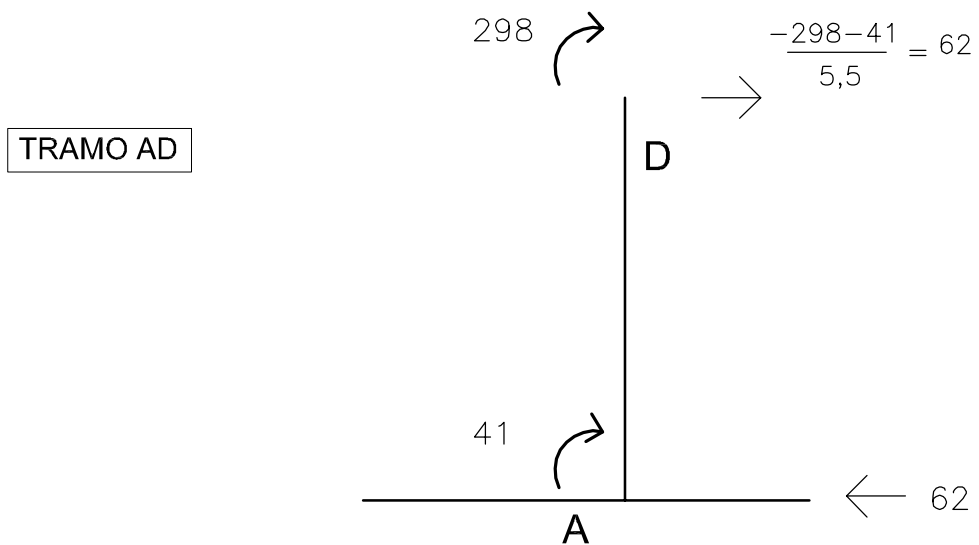
M.E.P. 2° CROSS

$$DE = 6 \times 0,82 \times \frac{24 \times 100}{4,47} = 2640$$

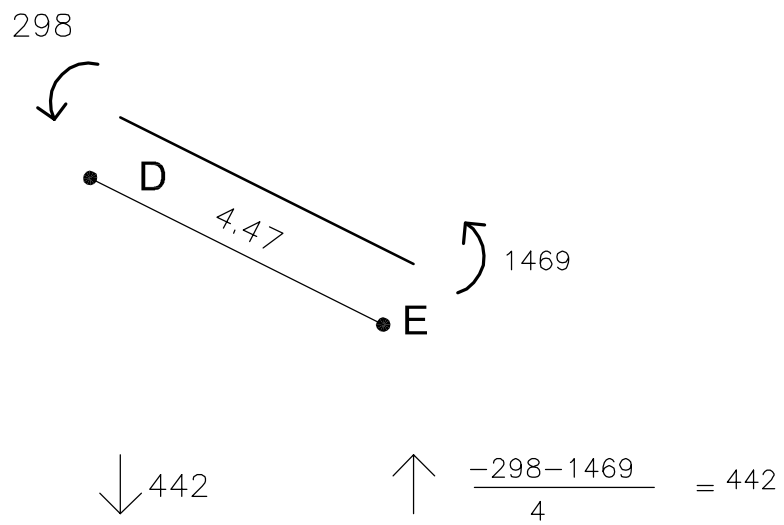
$$DA = 6 \times 0,18 \times \frac{11 \times 100}{5,50} = 216$$



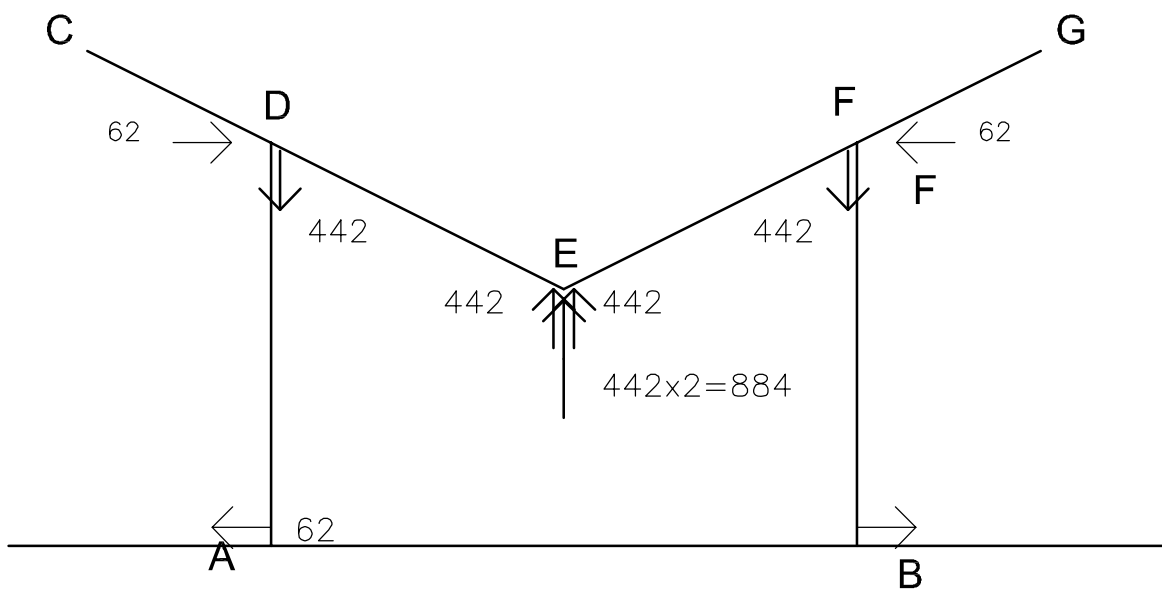
DESCARGAS DE TRAMO



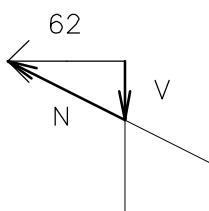
TRAMO DE



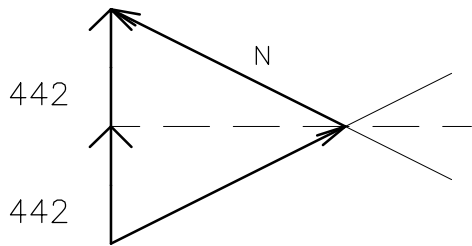
DESCARGAS EN NUDOS



Vemos los caminos materiales que recorren las fuerzas.
 Construimos una dinámica de fuerzas.

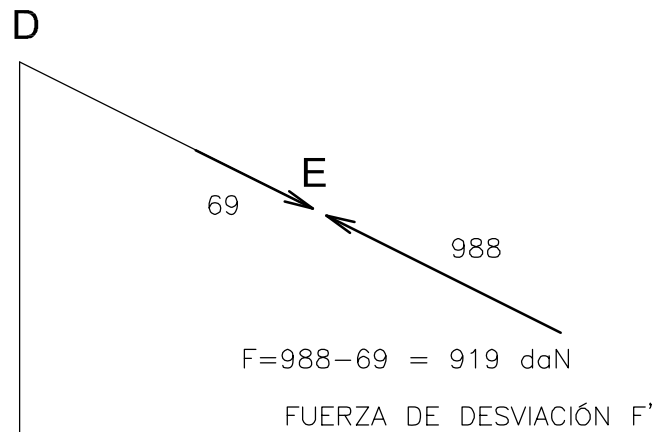
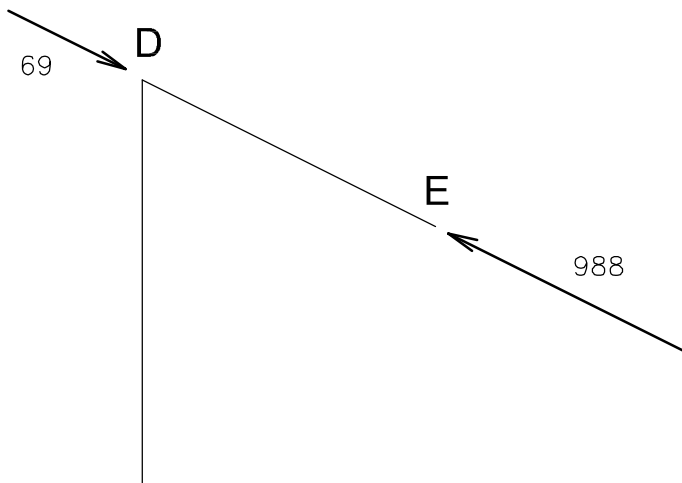


$$\frac{62}{4} = \frac{N}{4,47} \Rightarrow N = 69 \text{ daN}$$



$$\frac{442}{2} = \frac{N}{4,47} \Rightarrow N=988 \text{ daN}$$

FUERZA DE DESVIACIÓN F'

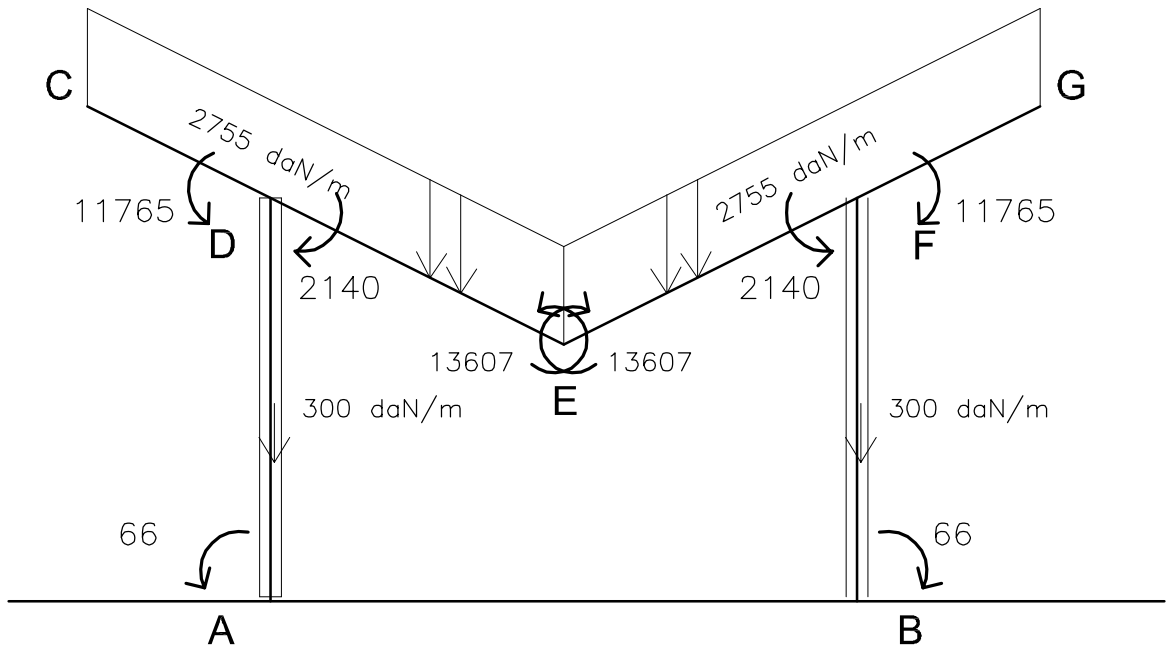


Esta fuerza debe tener sentido contrario a F.

MOMENTOS FINALES

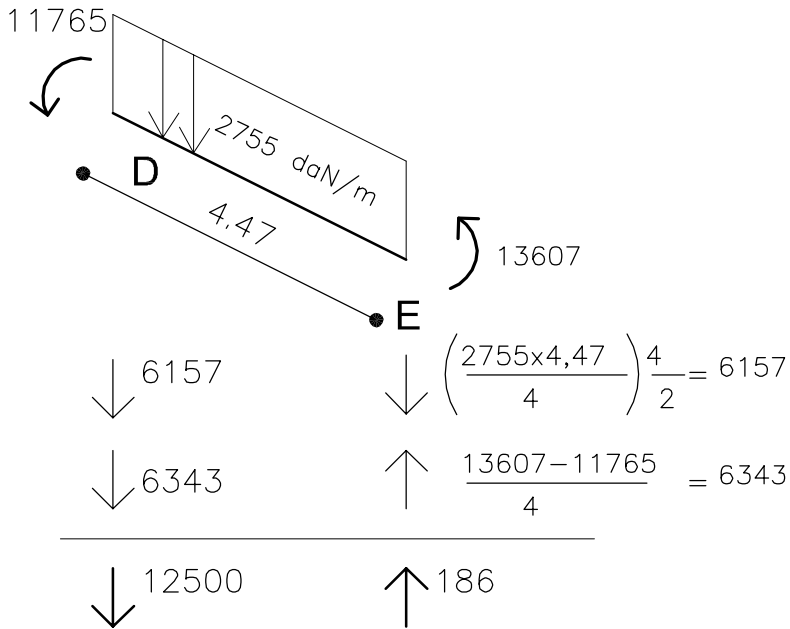
$$\alpha = \frac{9665}{919} = 10,51687$$

BARRA	M. 1er CROSS	M. 2do CROSS $\times \alpha$	M. FINALES
DA	-994	+3134	+2140
DE	-8631	-3134	-11765
ED	+1842	-15449	-13607
AD	-497	+431	-66

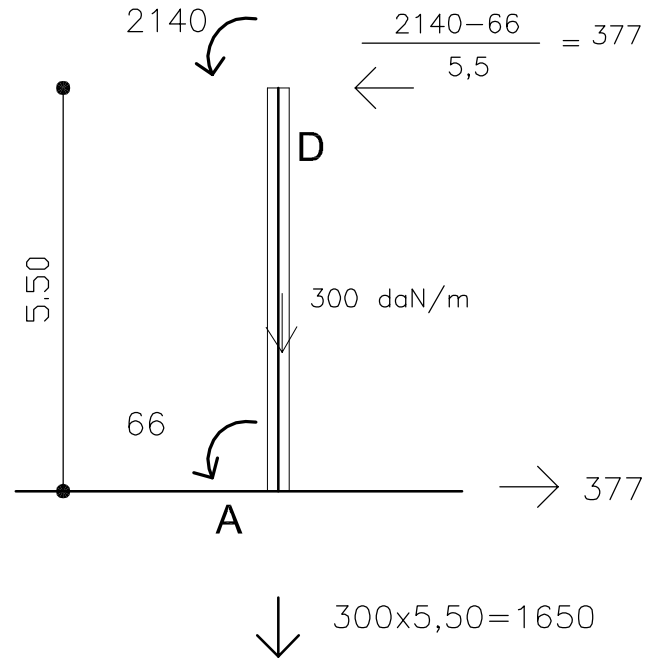


DESCARGAS DE TRAMO

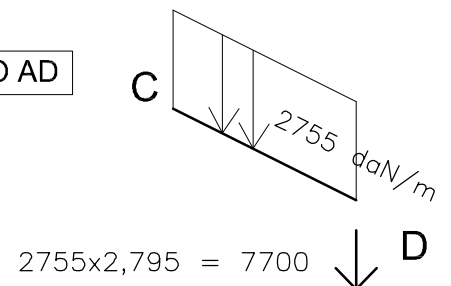
TRAMO DE



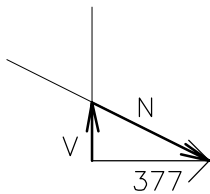
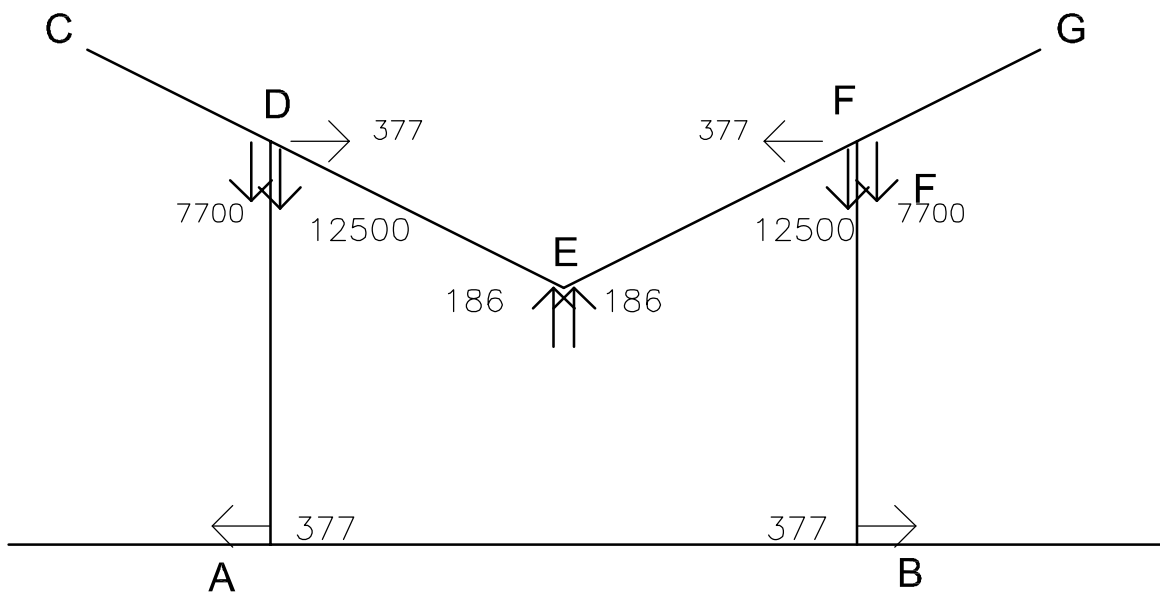
TRAMO AD



TRAMO AD

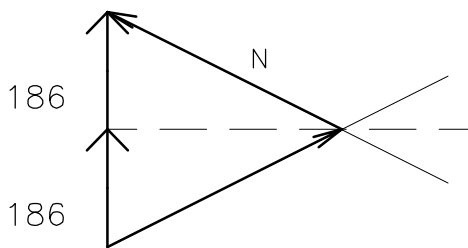


DESCARGAS EN NUDOS Y REACCIONES

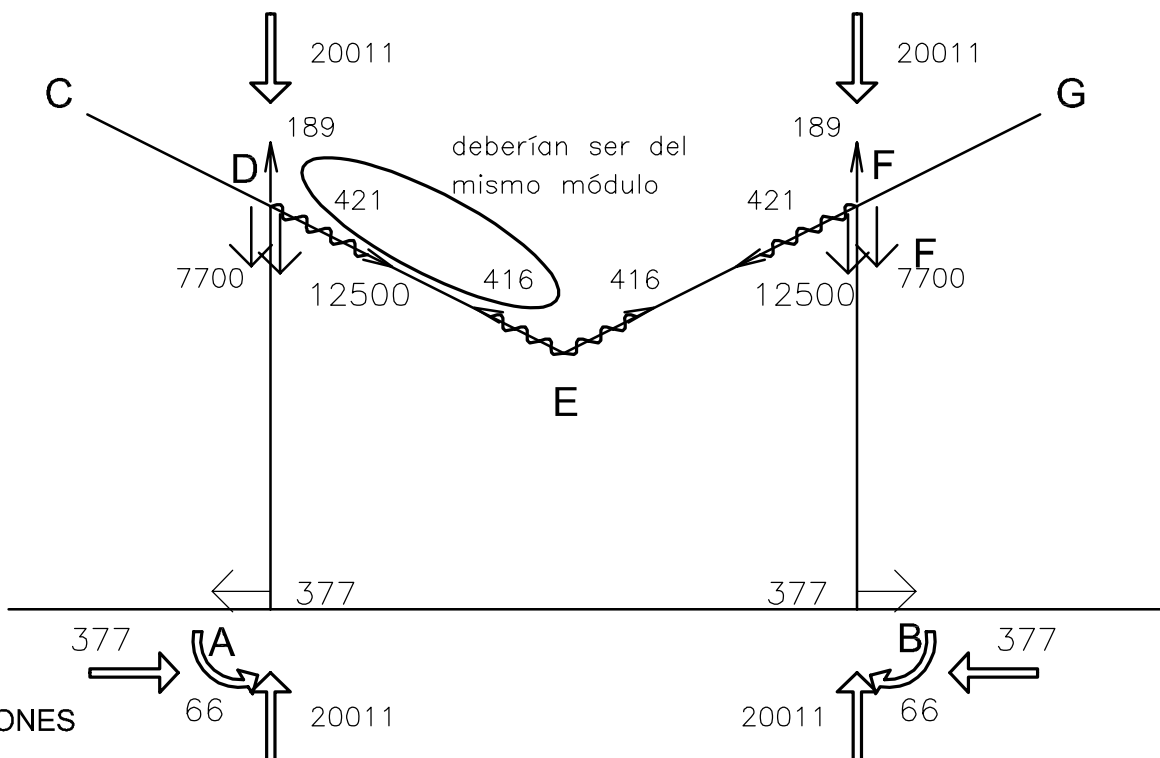


$$\frac{377}{4} = \frac{N}{4,47} \Rightarrow N=421 \text{ daN}$$

$$\frac{377}{4} = \frac{V}{2} \Rightarrow V=189 \text{ daN}$$

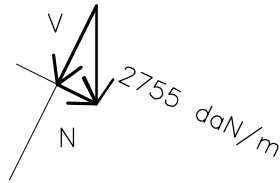
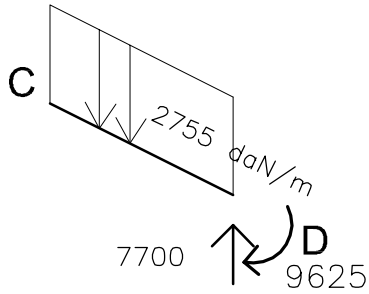


$$\frac{186}{2} = \frac{N}{4,47} \Rightarrow N=416 \text{ daN}$$



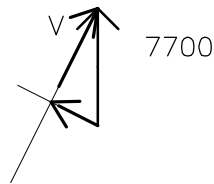
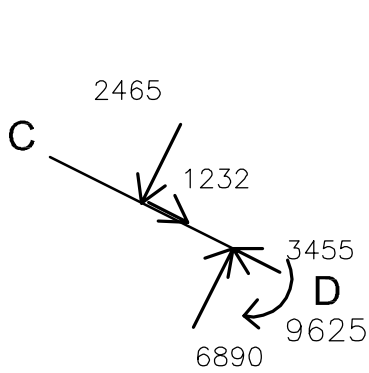
DIAGRAMAS DE SOLICITACIONES

TRAMO CD



$$\frac{2755}{4,47} = \frac{N}{2} = \frac{V}{4} \Rightarrow N=1232 \text{ daN}$$

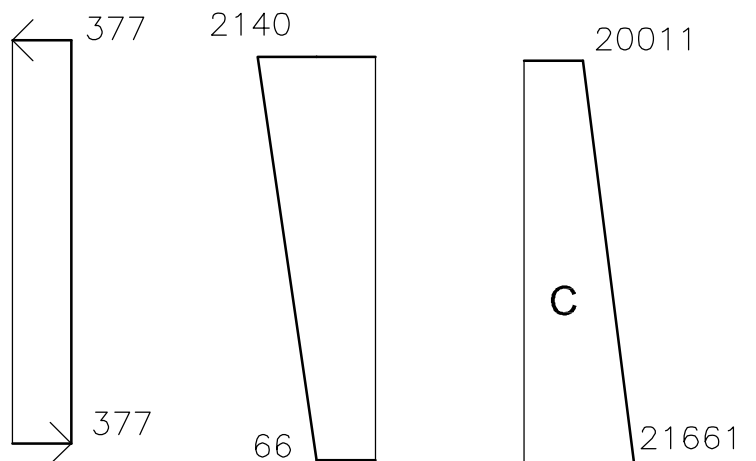
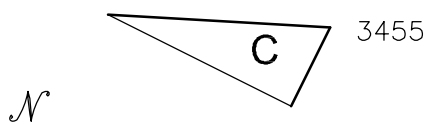
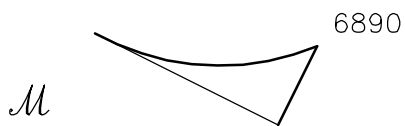
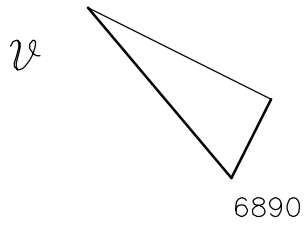
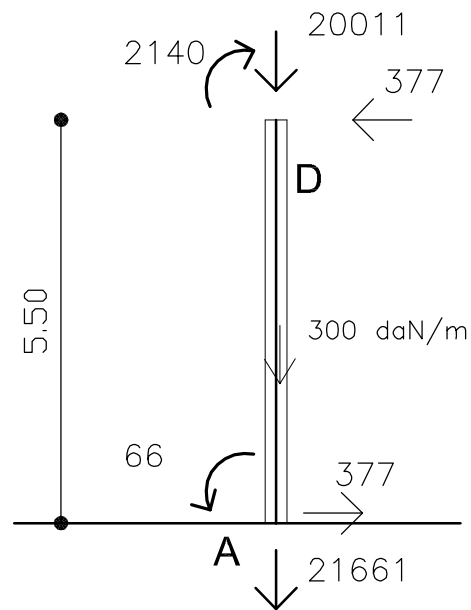
$$V=2465 \text{ daN}$$



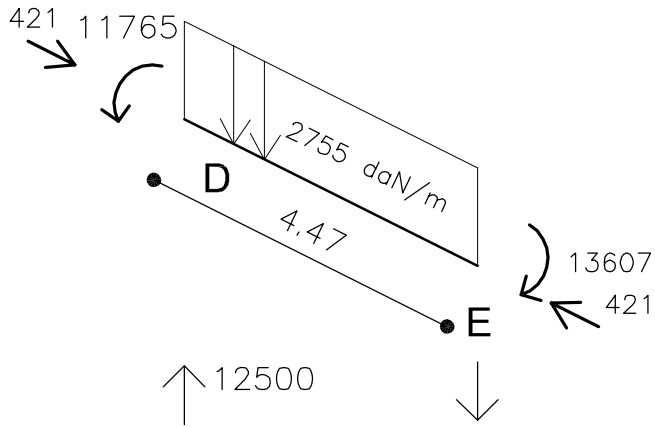
$$\frac{7700}{4,47} = \frac{N}{2} = \frac{V}{4} \Rightarrow N=3455 \text{ daN}$$

$$V=6890 \text{ daN}$$

TRAMO AD

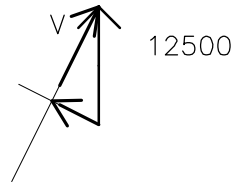


TRAMO DE



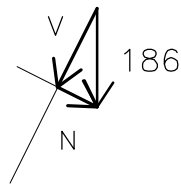
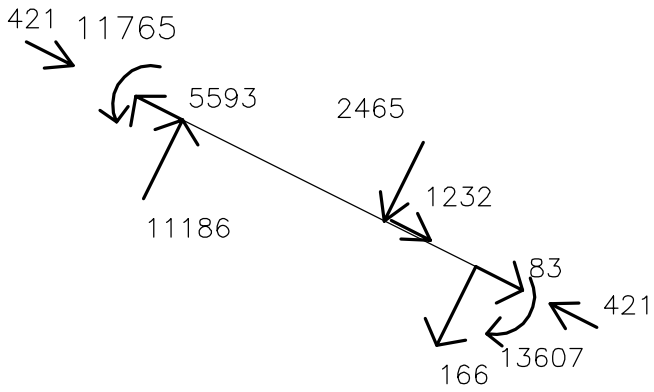
$$\frac{2755}{4.47} = \frac{N}{2} = \frac{V}{4} \Rightarrow N=1232 \text{ daN}$$

$$V=2465 \text{ daN}$$



$$\frac{12500}{4.47} = \frac{N}{2} = \frac{V}{4} \Rightarrow N=5593 \text{ daN}$$

$$V=11186 \text{ daN}$$



$$\frac{186}{4.47} = \frac{N}{2} = \frac{V}{4} \Rightarrow N=83 \text{ daN}$$

$$V=166 \text{ daN}$$

